

# Activity 6 Assessment

## 2-D Shapes, Transformations, and the Cartesian Plane Consolidation

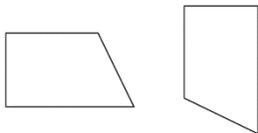
### Exploring Symmetry and Congruence

Verifies symmetry of two shapes by reflecting or rotating one shape onto another.



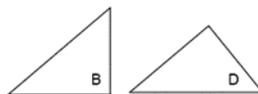
"I reflected one trapezoid in a vertical line of reflection so that it mapped onto the other trapezoid exactly. So, the two shapes are symmetrical."

Describes the symmetry between two shapes as reflection symmetry or rotation symmetry, or a combination of two transformations.



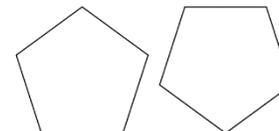
"These two symmetrical shapes are related by a combination of transformations. I could reflect the shape on the left in a vertical line, then rotate the image counterclockwise until it has the same orientation as the other shape."

Demonstrates congruence between two shapes in any orientation by superimposing.



"The two shapes are congruent even though they have different orientations. I traced Shape B and placed the tracing on Shape D and they matched exactly. They have the same size and shape."

Understands that shapes related by symmetry are congruent to each other.



"These two shapes are related by rotation symmetry. I can map one shape onto the other through rotation so that they match exactly. This means the shapes are congruent as they have the same size and shape."

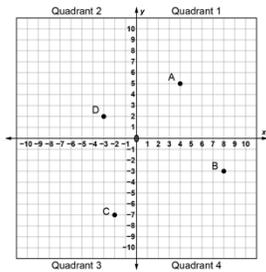
### Observations/Documentation

# Activity 6 Assessment

## 2-D Shapes, Transformations, and the Cartesian Plane Consolidation

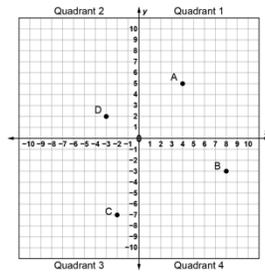
### Location and Transformations in the Cartesian Plane

Reads and interprets the Cartesian plane.



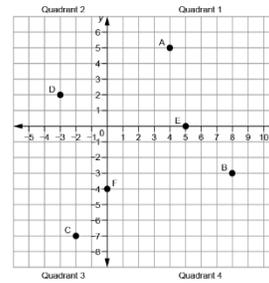
“The x-axis looks like a horizontal number line and the y-axis looks like a vertical number line, and the two number lines intersect.”

Locates points on a Cartesian plane using ordered pairs.



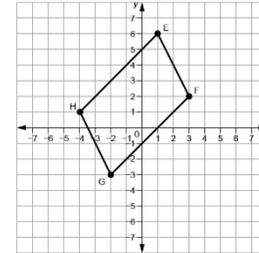
“Point A is at (4, 5), Point B is at (8, -3), Point C is at (-2, -7), and Point D is at (-3, 2).”

Uses coordinates to plot points on a Cartesian plane.



“I plotted Point E(5, 0) and Point F(0, -4).”

Models and describes the location of the vertices of a polygon in the Cartesian plane using coordinates.



“I drew a parallelogram. Its vertices are at E(1, 6), F(3, 2), G(-2, -3), and H(-4, 1).”

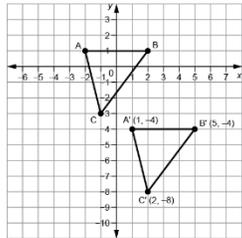
### Observations/Documentation

# Activity 6 Assessment

## 2-D Shapes, Transformations, and the Cartesian Plane Consolidation

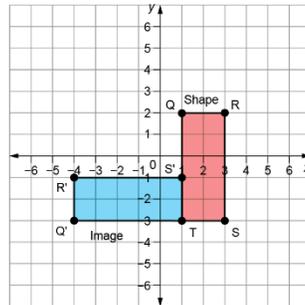
### Location and Transformations in the Cartesian Plane (cont'd)

Describes and performs transformations of polygons on a Cartesian plane.



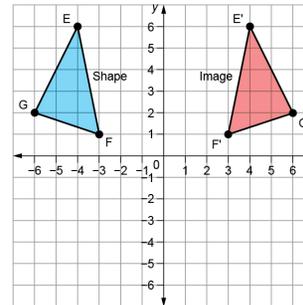
"I translated  $\triangle ABC$  right 3 squares and down 5 squares to get  $\triangle A'B'C'$ ."

Identifies transformation used to move a polygon on a Cartesian plane.



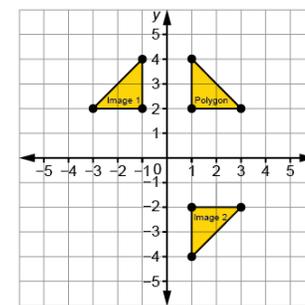
"The shape was rotated  $90^\circ$  counterclockwise about T to get the image. The shape and its image are congruent but have different orientations."

Relates the coordinates of a polygon and its image after a translation, reflection, or rotation.



"After a reflection in the  $y$ -axis, the  $x$ -coordinates of the vertices change sign, and the  $y$ -coordinates stay the same."

Flexibly visualizes and predicts where the image of a polygon will be after a transformation.



"I can picture the Polygon's reflection, Image 1, on the other side of the  $y$ -axis, and the Polygon's reflection, Image 2, on the other side of the  $x$ -axis. Each time, matching vertices will be the same distance from the line of reflection and the polygon, and its image will have opposite orientations."

### Observations/Documentation