## Activity 4 Assessment

Irrational Numbers around Us

| Irrational Numbers around Us |  |  |  |
| :---: | :---: | :---: | :---: |
| Understands and describes irrational numbers <br> An irrational number is a decimal that does not terminate or repeat, e.g., $\sqrt{10}, \pi$ <br> The Golden Ratio, 1.618033988 $74989484820 \ldots$ is an irrational number. <br> The Golden ratio appears frequently in geometry, art, and architecture. | Identifies the subsets of the set of rational numbers <br> The set of rational numbers contains natural numbers, whole numbers, integers, fractions, terminating decimals, and repeating decimals. | Understands that rational numbers and irrational numbers make the set of real numbers <br> All numbers can be described as rational or irrational. | Compares and orders real numbers <br> Order: $1.85,-\frac{22}{5}, \sqrt{48},-2 . \overline{2}, 7,0$ <br> From least to greatest: $-\frac{22}{5},-2 . \overline{2}, 0,1.85, \sqrt{48}, 7$ |
| Observations/Documentation |  |  |  |
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