Data Management and Probability

Activity 7 Assessment Comparing Theoretical and Experimental Probabilities of Two Independent Events

Comparing Theoretical and Experimental Probabilities of Two Independent Events			
Determines the theoretical probability of two independent events	Explains how to determine the experimental probability of two independent events	Uses theoretical probabilities to predict the outcomes of an experiment	Explains how fairness in an experiment or game affects the probabilities
The theoretical probability of rolling 5 is $\frac{1}{6}$. The theoretical probability of tossing heads is $\frac{1}{2}$. So, the theoretical probability of rolling 5 and tossing heads is: $\frac{1}{6} \times \frac{1}{2} = \frac{1}{12}$, or 0.08 $\overline{3}$, or 8. $\overline{3}$ %	I would conduct the experiment many times, then divide the number of favourable outcomes by the number of times I conducted the experiment.	The theoretical probability of rolling 5 on a number cube and getting a head on a coin toss is $\frac{1}{12}$. In an experiment of 100 trials, I would expect this outcome to occur $\frac{1}{12} \times 100 = 8.333$ times, or about 8 times.	An unfair coin or number cube affects the experimental probability, but not the theoretical probability. A set of outcomes where some are more likely than others affects the fairness of a game.
Observations/Documentation			