Activity 6 Assessment Dilating 2-D Shapes

| Dilating 2-D Shapes |  |  |  |
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| Understands the concept of dilation <br> A dilation is a transformation that enlarges or reduces a shape by a scale factor. The image is not congruent. | Describes the similarity between a dilated image and its original shape <br> I used a protractor to find that corresponding angles, like $\angle \mathrm{L}$ and $\angle \mathrm{L}^{\prime}$, are equal. I counted grid units of corresponding bases and heights to find the same ratio. For example, $\frac{K^{\prime} L^{\prime}}{K L} \text { is } 3 .$ | Describes and performs dilations on a grid <br> Dilate rectangle ABCD by a scale factor of 2. <br> I drew a line from the dilation point to vertex A. Then, I extended the length of line to 2 times that length and placed the vertex $\mathrm{A}^{\prime}$. I repeated the process to get rectangle $A^{\prime} B^{\prime} C^{\prime} D^{\prime}$. | Describes and performs dilations on a coordinate grid (first quadrant) <br> Dilate $\triangle A B C$ by a scale factor of $\frac{1}{3}$. <br> I drew a line from the dilation point to vertex $A$. Then, divided the length of line by 3 and placed the vertex $\mathrm{A}^{\prime}$. I repeated the process to get $\Delta A^{\prime} B^{\prime} C^{\prime}$. I noticed that the coordinates of the vertices of the dilated image were one third those of the original triangle, For example, $\mathrm{A}(6,3)$ moves to $\mathrm{A}^{\prime}(2,1)$. |

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